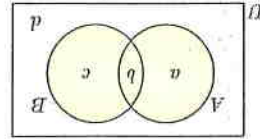
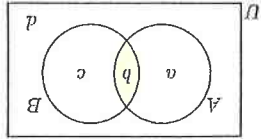


Union: "OR"



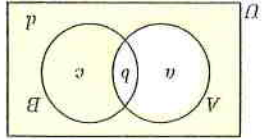
$A \cup B$   
 ↑  
 Union symbol

Intersection: "AND"



$A \cap B$   
 ↑  
 Intersection symbol

Complement: "NOT"

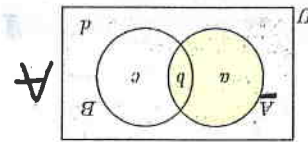


$A^c$   
 ↑  
 Complement symbol

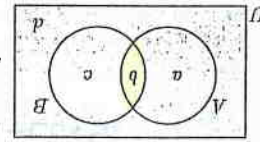
On separate Venn diagrams containing two events A and B that intersect, shade the region representing:

- a in A
- c in both A and B
- e in B but not in A

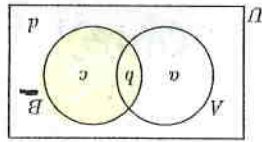
- b in B
- d in A or B
- f in exactly one of A or B.



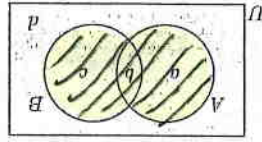
A



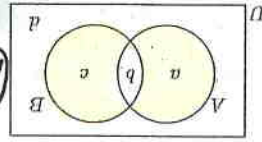
$A \cap B$



B



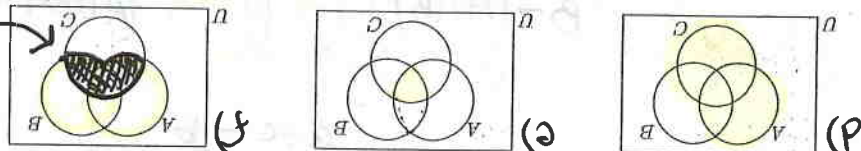
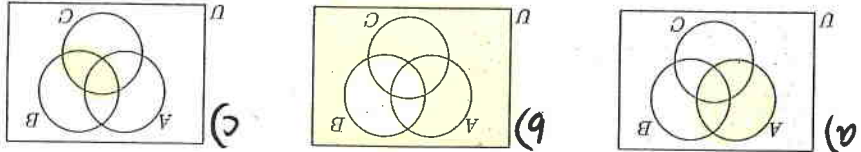
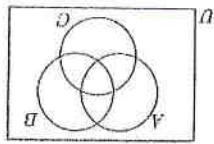
$A \cup B$



$B - (A \cap B)$        $(A \cup B) - (A \cap B)$

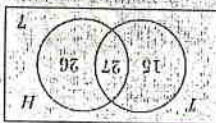
$a + c - b$

2. The diagram alongside is the most general case for three events in the same sample space  $U$ .  
 On separate Venn diagram sketches, shade:  
 a  $A$  b  $B'$  c  $B \cap C$  and  
 d  $A \cup C$  e  $A \cap B \cap C$  f  $(A \cup B) \cap C$



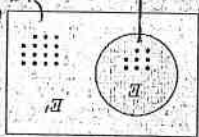
ANSWER

3. If the Venn diagram alongside illustrates the number of people in a sporting club who play tennis ( $T$ ) and hockey ( $H$ ), determine the number of people:



a in the club  $15 + 27 + 26 + 7 = 75$   
 b who play hockey  $26 + 27 = 53$   
 c who play both sports  $T \cap H = 27$   
 d who play neither sport  $(T \cup H)'$   
 e who play at least one sport  $T \cup H = 68$

4. The Venn diagram alongside represents the set  $U$  of all children in a class. Each dot represents a student. The event  $E$  shows all those students with blue eyes. Determine the probability that a randomly selected child:



a has blue eyes  $\frac{15}{23}$   
 b does not have blue eyes  $\frac{8}{23}$